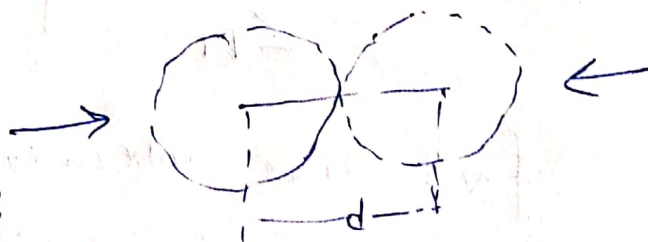


Collision Parameters

\* Collision Diameter = When two gas molecules approach each other, a point is reached at which the mutual ~~of~~ repulsion b/w molecules becomes so strong that it causes reversal of the two molecules <sup>are</sup> at the point of their closest approach. Hence the distance between the centres of the two molecules at the point of their closest approach is called Collision Diameter.

Effective

Volume of molecule =  $\frac{4}{3} \pi d^3$



\* Collision Number ( $Z_1$ ) = The number of molecules with which a single molecule will collide per unit time per unit volume is called Collision Number

$$Z_1 = \sqrt{2} \pi d^2 \langle c \rangle \rho$$

where  $d$  = collision diameter

$\langle c \rangle$  = Average velocity of molecules

$\rho$  = no. of molecules per unit volume of gas

Since each molecular collision involves two molecules, The number of collision of like molecules occurring per unit time per unit volume of the gas then

$$Z_{11} = \frac{1}{2} \sqrt{2} \pi d^2 \langle c \rangle \rho^2$$

Collision frequency ( $Z_{11}$ ) is defined as the number of molecules

collision occurring per unit time per unit volume of gas.

$$Z_{11} = \frac{1}{2} \sqrt{2} \pi d^2 \langle c \rangle \rho^2$$

for unlike molecules

$$Z_{12} = \frac{1}{\sqrt{2}} \pi d^2 \langle c \rangle \rho_1 \times \rho_2$$

Since  $P = \frac{n N_A K T}{V} = \frac{N K T}{V}$

where  $N$  = total no. of molecules in  $n$  moles of gas

$\rho$  = no. of molecules per unit volume

$$\rho = \frac{N}{V}$$

$$P = \rho K T$$

$$\rho = \frac{P}{K T}$$

Hence

$$Z_1 = \sqrt{2} \pi d^2 \langle c \rangle \frac{P}{kT} \quad (\text{sec}^{-1})$$

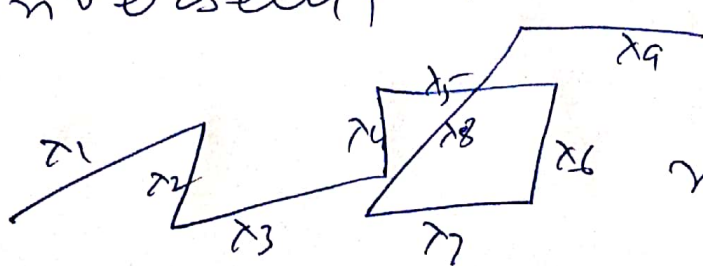
$$Z_{11} = \frac{\pi d^2 \langle c \rangle}{\sqrt{2}} \frac{P^2}{(kT)^2} \quad (\text{g}^{-1} \text{m}^{-3})$$

mean free path ( $\lambda$ )  $\Rightarrow$  It is defined as  
The mean distance travelled by a gas molecule between successive collision.

$$\lambda = \frac{\langle c \rangle}{Z_1} = \frac{\langle c \rangle}{\sqrt{2} \pi d^2 \langle c \rangle \frac{P}{kT}} = \frac{kT}{\sqrt{2} \pi d^2 P}$$

$$\text{Hence } \lambda \propto \frac{T}{P}$$

The mean free path of a gas molecule at constant temperature is inversely proportional to the pressure.



All paths are not same

$$\lambda = \frac{\lambda_1 + \lambda_2 + \lambda_3 + \dots}{n} \quad \text{hence mean free path is considered}$$